# Spatial Databases: Lecture 4 

## Institute for Geoinformatics

Winter Semester 2014


Malumbo Chipofya: room 109

## Topic Overview

1. Prelude: Data and problem solving in science and applications
2. The Relational Database model
3. Interacting with relational databases
4. Spatial Relational Database Management Systems
5. Applications: Terraview and Terralib: Prof. Dr. Gilberto Camara
6. A sample of Nosql Databases: brief introductions + example applications
a. Array databases: SciDB
b. Document databases: MongoDB
c. Graph databases: Neo4J
7. Summary of all lectures given.

## Recap

- Candidate Keys:
-Uniqueness + Irreducibility
Relational Operations:


Functional Dependence: $B \rightarrow A$ -A is functionally dependent on B $-B$ is functionally determines on $A$

## Recap

## Candidate Keys: -Uniqueness + Irreclucibility

- Relational Operations:
-Restrict + Project + Join

$$
\begin{aligned}
& \text { Functional Dependence: } B \rightarrow A \\
& -\mathrm{A} \text { is functionally dependent on } \mathrm{B} \\
& -\mathrm{B} \text { is functionally determines on } \mathrm{A}
\end{aligned}
$$

## Recap

- Candidate Keys: -Uniqueness + Irreducibility

Relational Operations:
-Restrict + Project + Join

- Functional Dependence: $B \rightarrow A$
$-A$ is functionally dependent on $B$
-B functionally determines on $A$


## Recap

- Candidate Keys:
-Uniqueness + Irreducibility
- Relational Operations:
-Restrict + Project + Join
- Functional Dependence: $B \rightarrow A$
$-A$ is functionally dependent on $B$
$-B$ is functionally determines on $A$


## Functional Dependencies

- Given two sets of attributes of a relation $\boldsymbol{R}$ :

$$
A:=\{a, b, c, \ldots\} \quad B:=\{x, y, z, \ldots\}
$$

- $\boldsymbol{A}$ is a functionally dependent on $\boldsymbol{B}$ written

$$
B \rightarrow A
$$

if and only if there is a function from the set of legal values of $\boldsymbol{B}$ to the set of legal values of $\boldsymbol{A}$ determined exactly by tuples of $\boldsymbol{R}$

## Functional Dependencies

- Trivial FD
-LHS $\supseteq$ RHS
- The closure of a set $S$ of FDs (denoted $S^{+}$)
-The set of all FDs that can be derived from $S$
$-S^{+}$can be computed using few simple rules


## Functional Dependencies

- Rules - we write ' $A$ ' for $\{A\}$ and ' $A, B, C$ ' for $\{A, B, C\}$
- Reflexivity:
- $\mathrm{B} \subseteq \mathrm{A}$ implies $\mathrm{A} \longrightarrow \mathrm{B}$
- Augmentation:
- $\mathrm{A} \rightarrow \mathrm{B}$ implies $\mathrm{A}, \mathrm{C} \rightarrow \mathrm{B}, \mathrm{C}$
- Transitivity:
- $\mathrm{A} \rightarrow \mathrm{B}$ and $\mathrm{B} \rightarrow \mathrm{C}$ implies $\mathrm{A} \longrightarrow \mathrm{C}$
- Self-determination:
- A $\rightarrow$ A
- Decomposition:
- $\mathrm{A} \rightarrow \mathrm{B}, \mathrm{C}$ implies $\mathrm{A} \rightarrow \mathrm{B}$ and $\mathrm{A} \rightarrow \mathrm{C}$
- Union:
- $\mathrm{A} \rightarrow \mathrm{B}$ and $\mathrm{A} \rightarrow \mathrm{C}$ implies $\mathrm{A} \longrightarrow \mathrm{B}, \mathrm{C}$
- Composition:
- $\mathrm{A} \rightarrow \mathrm{B}$ and $\mathrm{C} \rightarrow \mathrm{D}$ implies $\mathrm{A}, \mathrm{C} \longrightarrow \mathrm{B}, \mathrm{C}$


## Functional Dependencies Example:

$$
\{A \rightarrow B, C ; C \rightarrow D\}
$$

- Reflexivity: $\mathrm{B} \subseteq \mathrm{A}$ implies $\mathrm{A} \longrightarrow \mathrm{B}$
- Augmentation: $\mathrm{A} \rightarrow \mathrm{B}$ implies $\mathrm{A}, \mathrm{C} \longrightarrow \mathrm{B}, \mathrm{C}$

$$
-A, C \rightarrow A, D ; \quad A, C \rightarrow B, C ; A, D \rightarrow B, C, D ; B, C \rightarrow B, D
$$

- Transitivity: $\mathrm{A} \rightarrow \mathrm{B}$ and $\mathrm{B} \rightarrow \mathrm{C}$ implies $\mathrm{A} \rightarrow \mathrm{C}$

$$
-A \rightarrow B, D ; \quad A, C \rightarrow B, D ; \quad A, C \rightarrow B, C, D
$$

- Self-determination: $\mathrm{A} \rightarrow \mathrm{A}$
- Decomposition: $\mathrm{A} \longrightarrow \mathrm{B}, \mathrm{C}$ implies $\mathrm{A} \longrightarrow \mathrm{B}$ and $\mathrm{A} \longrightarrow \mathrm{C}$

$$
-A \rightarrow B ; \quad A \rightarrow C ; \quad A \rightarrow D ;
$$

- Union: $\mathrm{A} \rightarrow \mathrm{B}$ and $\mathrm{A} \rightarrow \mathrm{C}$ implies $\mathrm{A} \longrightarrow \mathrm{B}, \mathrm{C}$
$-A \rightarrow C, D$;
- Composition: $\mathrm{A} \longrightarrow \mathrm{B}$ and $\mathrm{C} \rightarrow \mathrm{D}$ implies $\mathrm{A}, \mathrm{C} \rightarrow \mathrm{B}, \mathrm{D}$
- Anything else?


## Functional Dependencies

- Irreducibility
- A set of FDs, S, is irreducible if and only if it satisfies
- RHS of every FD in $S$ has only one attribute
- LHS of every FD in S is irreducible in the sense that discarding any attribute changes the closure of $S$ - left irreducibility
- Discarding any FD in S changes the closure of S


## Functional Dependencies

- Irreducibility: from last example
$-A, C \rightarrow A, D$
$-A, C \rightarrow B, C$
$-A, D \rightarrow B, C, D$
$-B, C \rightarrow B, D$
$-A, C \rightarrow B, D$
$-A, C \rightarrow B, C, D$


## Functional Dependencies

- Irreducibility: from last example
- RHS of every FD in S has only one attribute (Decomposition)
$-A, C \rightarrow A, D$;
$-A, C \rightarrow B, C$
$A, C \rightarrow B ; \quad A, C \rightarrow B ; \quad A, C \rightarrow D$
$-A, C \rightarrow B, D$
$-A, C \rightarrow B, C, D$
$-A, D \rightarrow B, C, D \smile A, D \rightarrow B ; \quad A, D \rightarrow C ; \quad A, D \rightarrow D$
$-B, C \rightarrow B, D \rightleftharpoons B, C \rightarrow B ; B, C \rightarrow C$


## Functional Dependencies

- Irreducibility: from last example
- Discarding any FD in S changes the closure of S
(Discard the trivial FDs + all those that can be derived)
$-A, C \rightarrow A, D$;
$-A, C \rightarrow B, C$
$-A, C \rightarrow B, D \quad A, C \rightarrow B ; \quad A, C \rightarrow C ; A, C \rightarrow D$
$-A, C \rightarrow B, C, D$
$-A, D \rightarrow B, C, D$
$-B, C \rightarrow B, D$
刁 $A, D \rightarrow B ; \quad A, D \rightarrow C ; \quad A, D \rightarrow D$
刁 $B, C \rightarrow B ; \quad B, C \rightarrow D$


## Functional Dependencies

- Irreducibility: from last example
- Discarding any attribute on LHS changes the closure of $S$ - left irreducibility
$-A, C \rightarrow A, D ;$
$-A, C \rightarrow B, C$
$-A, C \rightarrow B, D$
$-A, C \rightarrow B, C, D$
$\succ A, C \rightarrow B$;

$-A, D \rightarrow B, C, D \sim A, D \rightarrow B ; \quad A, D \rightarrow C$;
$-B, C \rightarrow B, D$
$B, C \rightarrow D$


## Functional Dependencies

- Irreducibility: from last example
$-A \rightarrow B, C$
$-C \rightarrow D$

1. $A \rightarrow B$
2. $A \rightarrow C$
3. $C \rightarrow D$

- The irreducible equivalent is NOT unique


## Functional Dependency Diagrams

- $\{A \rightarrow B, C ; C \rightarrow D\}$



## Normal Forms

- Example: Consider the our relation

| ID\# | Skill | M.St | \#Chd | \#Yrs | M. € | Date | \#sticks | Wgt. | Hrs |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathbf{1}$ | Medium | M | 0 | 2 | 40 | 1.06 | 55 | 9 | 6 |
| 2 | Low | S | 0 | 1 | 30 | 7.05 | 34 | 5 | 5 |
| 3 | High | S | 2 | 3 | 45 | 1.06 | 54 | 9 | 6 |
| 4 | High | M | 3 | 4 | 50 | 3.11 | 61 | 12 | 8 |

## $1^{\text {st }}$ Normal Form (1NF)

- All legal relations are in 1NF


## Normal Forms

- Some FDs in this relation?

| ID\# | Skill | M.St | \#Chd | \#Yrs | M.€ | Date | \#sticks | Wgt. | Hrs |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | Medium | M | 0 | 2 | 40 | 1.06 | 55 | 9 | 6 |
| 2 | Low | S | 0 | 1 | 30 | 7.05 | 34 | 5 | 5 |
| 3 | High | S | 2 | 3 | 45 | 1.06 | 54 | 9 | 6 |
| 4 | High | M | 3 | 4 | 50 | 3.11 | 61 | 12 | 8 |
|  | \#Yrs |  | Date |  |  |  |  | \#sticks |  |
|  | \#Chd |  | ID\# |  |  |  |  | Wgt. |  |
|  | M.St |  | $\downarrow$ |  |  |  |  | Hrs |  |
|  | M.€ |  | Skill |  |  |  |  |  |  |

## Normal Forms

- What are the problems with this relation?



## Normal Forms

- Let's reveal a few more dependencies



## Normal Forms

- Let's reveal a few more dependencies



## Normal Forms

- Decompose the relation by projecting it

| ID\# | Skill | \#Yrs | M. $€$ |
| :--- | :--- | :--- | :--- |
| 1 | Medium | 2 | 40 |
| 2 | Low | 1 | 30 |
| 3 | High | 3 | 45 |
| 4 | High | 4 | 50 |


| ID\# | Date | \#sticks | Wgt. | Hrs |
| :--- | :--- | :--- | :--- | :--- |
| 1 | 1.06 | 55 | 9 | 6 |
| 2 | 7.05 | 34 | 5 | 5 |
| 3 | 1.06 | 54 | 9 | 6 |
| 4 | 3.11 | 61 | 12 | 8 |



## Normal Forms

- This relation is fine - It's at least in 2NF

| ID\# | Date | \#sticks | Wgt. | Hrs |
| :--- | :--- | :--- | :--- | :--- |
| 1 | 1.06 | 55 | 9 | 6 |
| 2 | 7.05 | 34 | 5 | 5 |
| 3 | 1.06 | 54 | 9 | 6 |
| 4 | 3.11 | 61 | 12 | 8 |



## Normal Forms

## $2^{\text {nd }}$ Normal Form (2NF)

- A relation is in 2NF if and only if every nonkey attribute is irreducibly dependent on the Primary Key



## Normal Forms

- What's wrong with this relation?

| ID\# | Skill | \#Yrs | M.€ |
| :--- | :--- | :--- | :--- |
| 1 | Medium | 2 | 40 |
| 2 | Low | 1 | 30 |
| 3 | High | 3 | 45 |
| 4 | High | 4 | 50 |



## Normal Forms

- Decompose the relation - again by projection

| ID\# | \#Yrs |
| :--- | :--- |
| 1 | 2 |
| 2 | 1 |
| 3 | 2 |
| 4 | 4 |


| \#Yrs | Skill | M.€ |
| :--- | :--- | :---: |
| 2 | Medium | 40 |
| 1 | Low | 30 |
| 3 | High | 45 |
| 4 | High | 50 |



## Normal Forms

## $3^{\text {rd }}$ Normal Form (3NF)

- A relation is in 2NF if and only if it is in 2NF every nonkey attribute is nontransitively dependent on the Primary Key


## Normal Forms

## $3^{\text {rd }}$ Normal Form (3NF)

- A relation is in 2NF if and only if it is in 2NF every nonkey attribute is nontransitively dependent on the Primary Key



## Normal Forms

- Decompose the relation - again by projection


| \#Yrs | Skill |
| :--- | :--- |
| 2 | Medium |
| 1 | Low |
| 3 | High |
| 4 | High |



## Boyce-Codd Normal Form

- Note in the previous examples we considered only a single candidate key
- Boyce-codd normal form considers also cases where we have overlapping candidate keys Boyce-Codd Normal Form (BCNF)
- A relation is in BCNF if and only if every nontrivial left irreducible FD has a candidate key as its determinant (LHS)


## Boyce-Codd Normal Form

- In a diagram

| ID\# | Date | \#sticks | Wgt. | Hrs | Hrs. Cumm |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathbf{1}$ | 1.06 | 55 | 9 | 6 | 2212 |
| 2 | 7.05 | 34 | 5 | 5 | 3182 |
| 3 | 1.06 | 54 | 9 | 6 | 3097 |
| 4 | 3.11 | 61 | 12 | 8 | 5220 |



## Boyce-Codd Normal Form

- In a diagram

| ID\# | Date | \#sticks | Wgt. | Hrs | Hrs. Cumm |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathbf{1}$ | 1.06 | 55 | 9 | 6 | 2212 |
| 2 | 7.05 | 34 | 5 | 5 | 3182 |
| 3 | 1.06 | 54 | 9 | 6 | 3097 |
| 4 | 3.11 | 61 | 12 | 8 | 5220 |



## References

- C.J. Date, An Introduction to Database Systems, $8^{\text {th }}$ Edition. Pearson Education Inc., 2004.
- See www.geoinformatic.cc


## That's NOT all for today

## Practical

## That's all for today

## Thank you!

## Questions?

